

TRS 92: Finding and Interpreting Intercepts

Refer back to Day 25 Homework.

1. You are considering taking a job where the salary is modeled by the equation $S(t) = 1250.5t + 9253.7$. S represents the salary in dollars and t represents the time in years since hiring.
 - a. Completely define the independent variable.
 - b. Completely define the dependent variable.
 - c. What is the slope of the equation? Interpret this value in the context of the problem.
 - d. What is the vertical intercept of the equation? Interpret this in the context of the problem.
 - e. Find the horizontal intercept. Show your work.
 - f. Interpret **part e** in the context of the problem.
 - g. Does the horizontal intercept found in **part e** make sense in the context of the problem? Explain.

2. A student is watching the snow on her porch melt over time, which can be modeled by the equation $A(t) = 33.36 - 1.2t$. Let t be the time in days that she has been watching, the independent variable, and let A be the amount of snow left in inches, the dependent variable.
- What is the vertical intercept? Interpret this in the context of the problem.
 - What is the slope? Interpret this value in the context of the problem.
 - Determine the horizontal intercept. Show your work.
 - Interpret **part c** in the context of the problem.
3. A museum worker is in charge of counting the number of pamphlets available to the tourists. Let A , the dependent variable, be the amount of pamphlets left in the holder and let t , the independent variable, be the time in hours that have passed since the museum opened.
- Interpret the coordinates $(0,75)$ in the context of the problem.
 - Interpret the coordinate $(7.5,0)$ in the context of the problem.
 - Interpret a slope of -10 in the context of the problem.

4. The number of dogs in an animal shelter can be modeled by the equation $D(t) = -20t + 400$. Let t represent the time in weeks and let D represent the number of dogs in the shelter.
- Evaluate $D(4)$. Show your work.
 - Interpret **part a** in the context of the problem.
 - Solve $D(t) = 150$. Show your work.
 - Interpret **part c** in the context of the problem.